

## Ch 10 Work, Energy, and Machines

## 10.1 Work and Energy

## I. Work

A. By manipulating  $v_f^2 = v_i^2 + 2ad$  and substituting  $a = (\text{Force}/\text{mass})$ , you get

$$Fd = \frac{1}{2} m v_f^2 - \frac{1}{2} m v_i^2$$

1. left side of equation describes action done to a system by external world

B. When a force is applied through a displacement work is done

1. SI unit for work is a Joule (J) which measures energy

C. Work done by constant force

1. Work = force · distance or  $W = F \cdot d$

2. Constant force at angle

a. Work = force · distance ·  $\cos \theta$

b. when constant forces are perpendicular to displacement ( $90^\circ$ ), no work is done  $\rightarrow 0$

D. Work done by many forces

1. When several forces are exerted on a system calculate the work done by each force, then add results  $\rightarrow$  Figure 3 (p. 648)

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E. Finding work done when forces change

1. A graph of force versus displacement lets you determine the work done by a force

$\rightarrow$  See figure 4 (p. 649)

## II Energy (E) - the ability of a system to cause change to itself or its surroundings

A. Right side of  $Fd = \frac{1}{2} m v_f^2 - \frac{1}{2} m v_i^2$  indicates in energy

B. This is represented in the work-energy theorem

a.  $Work = \Delta E$

C. Through the process of work, energy can move between the external world and a system

D. Energy associated with motion = kinetic energy

E. Energy due to changing position = translational kinetic energy

1. Equation  $\rightarrow KE_{trans} = \frac{1}{2} m v^2$

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- III Power - the rate at which energy is transferred
- A. Equation  $\Rightarrow P = \frac{\Delta E}{T}$
1. When work causes change in energy the equation becomes  $P = \frac{W}{t}$
  2. Power is measured in watts, 1 J of energy transformed in one second
- B. Power and Speed
1. When force ( $F_x$ ) is in same direction as displacement  $P = F \cdot v \rightarrow P = F \cdot v$

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## 10.1 Review

Grade: 12th  
 Subject: Physics  
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1 The work-energy theorem states that when work is done on an object, the result is a change in \_\_\_\_\_.

B potential energy

C power

D work-energy

A kinetic energy

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2 Power is measured in \_\_\_\_\_.

A joules

B ohms

C kilo-joules

D watts

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- 3 How much work is done in pushing a tall box 15m with a force of 400 N, that is applied slightly upward at an angle of 10 degrees from horizontal (answer in J)?

$$W = f \cdot d \cdot \cos \theta$$

$$\approx 5900 \text{ J}$$

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- 4 A net force, the magnitude of which is 2800 N, accelerates at 1250-kg vehicle for 8.0 s. The vehicle travels 80.0 m during this time. What power output does this represent (answer in kW)?

$$P = \frac{W}{t} \rightarrow W = f \cdot d$$

$$W = 2800 \cdot 80 = \underline{224000 \text{ J}}$$

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5 Jose lifts a 20 kg block to a height of 2.0 m in 5.0 s. Sue lifts 30 kg to a height of 1.5 m in 8.0 s. Which student has more power?

$$\text{Jose} \quad \frac{20 \cdot (9.8) \cdot 2\text{m}}{5} = \frac{400\text{N}}{5} = 80\text{J}$$

$$\text{Sue} \quad \frac{30 \cdot (9.8) \cdot 1.5\text{m}}{8} = \frac{450\text{N}}{8} = 56.2\text{J}$$

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